# Übertagging 

Rebecca Dridan<br>University of Oslo<br>DELPH-IN Summit<br>St Wendel, July 2013

## First there was supertagging

- Assigning fine-grained lexical categories to tokens for:
- lexical acquition, unknown word handling
- parser efficiency, via lexical pruning
- Supertagging/lexical prediction for the ERG:
- Zhang, 2007
- Blunsom, 2007
- Dridan, 2009
- Ytrestøl, 2012
- Fares, 2013

All showed potential, none are actually being used in parsing now.

## Which tokens？

Raw＇Sun－filled＇，well－kept Mountain View．

## REPP

initial tokens $\langle '\rangle,\langle$ Sun－filled $\rangle,\langle '\rangle,\langle\rangle,,\langle$ well－kept $\rangle$,
$\langle$ Mountain $\rangle,\langle$ View $\rangle,\langle$.
chart－mapping
internal tokens 〈＇Sun－〉，〈 filled＇，$\rangle,\langle$ well－$\rangle,\langle$ kept $\rangle,\langle$ Mountain $\rangle$, $\langle$ View．$\rangle$ ，
lexicon lookup
lexical tokens $\langle ‘ s u n-\rangle,\langle$ filled＇，$\rangle,\langle$ well－kept $\rangle,\langle M o u n t a i n$ View．$\rangle,\langle$ well－$\rangle,\langle$ kept $\rangle,\langle$ Mountain $\rangle,\langle V i e w\rangle,$.

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Lexical tokenisation is ambiguous．

## Übertagging

Übertagging predicts the correct path through the lattice, tokenising and supertagging at the same time.


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n
n
$p$
n
V
aj

## Übertagging

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〈This〉 〈kind of〉 〈theatre〉 〈was〉 〈new．〉
n
av
n
v
aj

## Hidden semi-Markov Models

Standard HMM:

$$
\begin{array}{r}
\operatorname{Pr}\left(S_{0: n}, O_{0: n}\right)=\prod_{i=1}^{n} \operatorname{Pr}\left(s_{i} \mid s_{i-1}\right) \operatorname{Pr}\left(o_{i} \mid s_{i}\right) \cdot \operatorname{Pr}\left(\langle E\rangle \mid s_{n}\right) \\
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## Training

Supervised training using relative frequency counts

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$$
\begin{gathered}
\operatorname{Pr}\left(S_{0: n}, O_{0: n}\right)=\prod_{i=1}^{n} \operatorname{Pr}\left(t_{i} \mid t_{i-I}\right) \operatorname{Pr}(I \mid t) \operatorname{Pr}\left(o_{i-I+1: i} \mid t, I\right) \\
\operatorname{Pr}\left(t_{i} \mid t_{p p} t_{p}\right)=\frac{C\left(t_{p p} t_{p} t_{i}\right)}{C\left(t_{p p} t_{p}\right)}(\text { trigram }) \\
\operatorname{Pr}(I \mid t) \operatorname{Pr}\left(o_{i-I+1: i} \mid I, t\right) \\
=\frac{C(I, t)}{C(t)} \cdot \frac{C\left(o_{i-I+1: i}, I, t\right)}{C(I, t)} \\
\end{gathered}
$$

## Training

|  |  | Lexitems |  |  |
| :--- | :---: | ---: | ---: | ---: |
| Data Set | Gold? | Trees | All | M-T |
| DeepBank 1.0 §00-19 | yes | 33783 | 661451 | 6309 |
| Redwoods Treebank | yes | 39478 | 432873 | 6568 |
| NANC | no | 2185323 | 42376523 | 399936 |

Tag types:

- FULL: lexical type plus all lexical rules v_np_le:v_prp_olr:v_nger-tr_dlr:w_comma-nf_plr
- infl: lexical type plus non-punctuation lexical rules v_np_le:v_prp_olr:v_nger-tr_dlr
- LTYPE: lexical type v_np_le


## Observation Complication

Surface form capitalisation is a important clue in assigning tags, but this has been 'normalised' within the parser.

Current solution: observation consists of tLexltem's orth() plus information stored at +CLASS.+CASE in the token input feature structure, e.g.

$$
\begin{array}{ll}
\text { agency:capitalized+lower } & \text { n_-_mc_le:n_ms-cnt_ilr } \\
\text { Agency } & \text { n_-_pn-gen_le:n_sg_ilr }
\end{array}
$$

Not ideal, but at least they are conceptually the same observation.

## Tagging: Best Path

Using Viterbi, we pick the best path:

|  | Segmentation |  | Tagging |  |
| :--- | :---: | :---: | :---: | :---: |
| Tag Type | F1 | Sent. | F1 | Sent. |
| FULL | 99.55 | 94.48 | 93.92 | 42.13 |
| INFL | 99.45 | 93.55 | 93.74 | 41.49 |
| LTYPE | 99.40 | 93.03 | 93.27 | 38.12 |

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Quite good, but not good enough for parsing. Instead we calculate posterior probabilities of each lexitem, and prune those lower than threshold rho.

## Tagging: Multi-tagging

| Tag |  |  | Lexitems |  |
| :--- | :--- | :--- | :---: | :---: |
| Type | $\boldsymbol{\rho}$ | Acc. | Kept | Ave. |
| FULL | 0.00001 | 99.71 | 41.6 | 3.34 |
| FULL | 0.0001 | 99.44 | 33.1 | 2.66 |
| FULL | 0.001 | 98.92 | 25.5 | 2.05 |
| FULL | 0.01 | 97.75 | 19.4 | 1.56 |
| INFL | 0.0001 | 99.67 | 37.9 | 3.04 |
| INFL | 0.001 | 99.25 | 29.0 | 2.33 |
| INFL | 0.01 | 98.21 | 21.6 | 1.73 |
| INFL | 0.02 | 97.68 | 19.7 | 1.58 |
| LTYPE | 0.0002 | 99.75 | 66.3 | 5.33 |
| LTYPE | 0.002 | 99.43 | 55.0 | 4.42 |
| LTYPE | 0.02 | 98.41 | 43.5 | 3.50 |
| LTYPE | 0.05 | 97.54 | 39.4 | 3.17 |

## Tagging

Tag accuracy versus ambiguity


## Parsing

| Tag Type |  | $\boldsymbol{\rho}$ | Lexitem | Bracket |
| :--- | :--- | :---: | :---: | :---: |
| No Pruning |  | 94.06 | 88.58 | 6.58 |
| FULL | 0.00001 | 95.62 | 89.84 | 3.99 |
| FULL | 0.0001 | 95.95 | 90.09 | 2.69 |
| FULL | 0.001 | 95.81 | 89.88 | 1.34 |
| FULL | 0.01 | 94.19 | 88.29 | 0.64 |
| INFL | 0.0001 | 96.10 | 90.37 | 3.45 |
| INFL | 0.001 | 96.14 | 90.33 | 1.78 |
| INFL | 0.01 | 95.07 | 89.27 | 0.84 |
| INFL | 0.02 | 94.32 | 88.49 | 0.64 |
| LTYPE | 0.0002 | 95.37 | 89.63 | 4.73 |
| LTYPE | 0.002 | 96.03 | 90.20 | 2.89 |
| LTYPE | 0.02 | 95.04 | 89.04 | 1.23 |
| LTYPE | 0.05 | 93.36 | 87.26 | 0.88 |

## Parsing



## Conclusions

## Baseline Pruned

| Data Set | $\mathbf{F}_{1}$ | Time | $\mathbf{F}_{1}$ | Time |
| :--- | :---: | :---: | :---: | :---: |
| WSJ $_{21}$ | 88.12 | 6.06 | 89.93 | 1.77 |
| WeScience $_{13}$ | 86.25 | 4.09 | 87.14 | 1.48 |
| CatB | 86.31 | 5.00 | 87.11 | 1.78 |

- We can select a configuration that gives at least 2-3 times speed up with an increase in $\mathrm{F}_{1}$ across a variety of data sets
- The speed versus accuracy trade-off can be easily tuned to an application's requirements
- Many of the errors arise from the proper noun vs common noun choice in noun compounds which:
- may not be important for many applications
- could probably be more consistent/standardised in the grammar and treebanks


## Thank You!

## Download

## PET branch with übertagging

https：／／pet．opendfki．de／repos／pet／branches／uebertagger
Only needs the trigram models to be in the grammar．

## Training code

> http://svn.dridan.com/sandpit/uebertagger

But you need training data in the right form：〈observation－possibly including case class〉 〈tag〉

These links will change，once I work out integration details with both grammar developers and other PET developers，but it is available to test now．

